Exoplanets in perspective



'Exoplanet' available as a free download for iOS on the iTunes AppStore



Exoplanets, migration, turbulence, resonances and inclined orbits Saturn's rings

Hanno Rein @ ISIMA 2011 KIAA Beijing

Migration in a non-turbulent disk

planet + disk = migration

2 planets + migration = resonance

Lee & Peale 2002, Kley & Nelson 2008, Sandor et al 2007, Rein et al 2010

Migration - Type I

- Low mass planets
- No gap opening in disk
- Migration rate is fast
- Depends strongly on thermodynamics of the disk



Migration - Type II

- High mass planets
- Opens gap
- Follows viscous evolution of the disk



Migration - Type III

- High mass disk
- Intermediate planet mass
- Very fast



Two planets: non-turbulent resonance capture



parameters of GJ 876

GJ 876



Lee & Peale 2002

HD45364



- Planets are in a 3:2 resonance
- Two planets around a low mass star

 $m_1 = 0.1872 \ M_{jup}$ $m_2 = 0.6579 \ M_{jup}$

Planets' masses swapped compared to solar system

Correia et al 2009

- Two migrating planets
- Infinite number of resonances
- How to choose?
- Initial positions
- Migration speed is crucial
- Resonance width and libration period define critical migration rate



Formation scenario leads to a better 'fit'



Rein, Papaloizou & Kley 2010

Formation scenario for HD45364

Massive disc (5 times MMSN)

- Short, rapid Type III migration
- Passage of 2:1 resonance
- Capture into 3:2 resonance

Large scale-height (0.07)

- Slow Type I migration once in resonance
- Resonance is stable
- Consistent with radiation hydrodynamics



Rein, Papaloizou & Kley 2010

Migration in a turbulent disc

Turbulent disc

- Angular momentum transport
- Magnetorotational instability (MRI)
- Density perturbations interact gravitationally with planets
- Stochastic forces lead to random walk
- Large uncertainties in strength of forces



Animation from Nelson & Papaloizou 2004 Random forces measured by Laughlin et al. 2004, Nelson 2005, Oischi et al. 2007

Random walk



Rein & Papaloizou 2009

Correction factors are important

$$(\Delta a)^2 = 4\frac{Dt}{n^2}$$

$$(\Delta \varpi)^2 = \frac{2.5}{e^2}\frac{\gamma Dt}{n^2 a^2}$$

$$(\Delta e)^2 = 2.5\frac{\gamma Dt}{n^2 a^2}$$

Rein & Papaloizou 2009, Adams et al 2009, Rein 2010

time [years]

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Turbulent resonance capture



Rein & Papaloizou 2009

Multi-planetary systems in mean motion resonance



- Stability of multi-planetary systems depends strongly on diffusion coefficient
- Most planetary systems are stable for entire disc lifetime

Rein & Papaloizou 2009

but

Modification of libration patterns

- HD128311 has a very peculiar libration pattern
- Can not be reproduced by convergent migration alone
- Turbulence can explain it
- More multi-planetary systems needed for statistical argument



Highly inclined systems

Highly inclined planets and disks



Rein 2011

Highly inclined planets and disks



Rein 2011



Conclusions

Resonances and multi-planetary systems

Multi-planetary system provide insight in otherwise unobservable formation phase Overwhelming evidence that dissipative effects (disk) shaped many systems Turbulence can be traced by observing multi-planetary systems Distinctive from non-turbulent migration scenarios Highly inclined systems might not re-align even if the disk is still present

see talk in 2 weeks

Moonlets in Saturn's rings

Small scale version of the proto-planetary disc Dynamical evolution can be directly observed Evolution is dominated by random-walk Caused by collisions and gravitational wakes Might lead to independent age estimate of the ring system